

x is sum of integers in m .

Procedure X (m : m is a list of n integers)

result $\leftarrow 0$

for $i = 1$ to n

result \leftarrow result $+$ $m[i]$

return result

$m = 3, 2, 1, 6, 4, 8$
1 2 3 4 5 6
 $m_1, m_2, m_3, m_4, m_5, m_6$

i	result
1	$0+3=3$
2	$3+2=5$
3	$5+1=6$
n	X

By 202

4) largest difference with the int that follows it
 $m = 2, 3, 1, 9, 6, 8$
1 2 3 4 5 6

procedure X (m is a list of int)

diff $\leftarrow 0$

~~max~~ $\leftarrow 0$

for $i = 2$ to n

$x = m[i+1] - m[i]$

if $diff < x$

diff $\leftarrow x$

return diff.

$1 < \log n < n < n \log n < n^2 < 2^n < n!$

$$3n^2 + 1 \in O(n^3)$$

$$\in O(n^4)$$

(1 3 4 6 5 12 7 1) \mathbb{N}
 sequence integer

best case. it finds the integer at the first try
 worst case it doesn't find the integer
 average case the integer is in the middle

By 229
 ① $t := 0$
 for $i = 1$ to 3 $g(x) = 1$
 for $j = 1$ to 4 $f(x) \in O(1)$
 $t = t + i \cdot j$

$$f(n) = 12$$

2) $O(n^2)$

t	i	j
0	1	1
2	1	2

//

3.2

5) show $x^2+1/x+1$ is $O(x)$

$$\lim \frac{x^2+1}{x+1} = \frac{x^2+1}{x(x+1)}$$

$$\lim_{x \rightarrow \infty} \frac{x^2+1}{x^2+x} = 1 < \infty \quad \frac{x^2+1}{x+1} \in O(x)$$